

Number Sense Test, Series GG-1

Contestant's Number	Contestant's Score
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Read Directions Carefully Before Beginning Test

Do not Unfold This Sheet Until Told to Begin

Directions: Do not turn this page until person conducting this test gives the signal to begin. This is a ten-minute test. There are 80 problems. Solve accurately and quickly as many as you can in the order in which they appear. ALL PROBLEMS ARE TO BE SOLVED MENTALLY. Make no calculations with paper and pencil. Write only the answer in the space provided at the end of each problem. Problems marked with a star (*) require only approximate answers; any answers to a starred problem that is within five per cent of the exact answer will be scored correct; all other problems require exact answers

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(1)	289 + 2890 =	*(30)	38% of 19000 =
(2)	172 = 13 × 13 +	(31)	The remainder when 19267 is divided by 9 is
(3)	652 =	(32)	$1 + 2 + 3 + \ldots + 20 =$
(4)	312 =	(33)	The smallest number greater than each of .14, .1414, .141414,
(5)	48 × 52 =		is
(6)	27 × 21 =	(34)	The smallest positive integer n such that n/3 gives remainder 1 and n/5 gives remainder 2 is
(7)	26 =	(35)	The greatest common divisor of 26 and 38 is
(8)	12 × 126 =	(36)	If $x > 0$ and $x^2 + x - 6 = 0$, then $x =$
(9)	392 =	(37)	If $x - y = 7$ and $2x + y = 10$, then $x =$
*(10)	1898 + 2789 + 3305 + 8 =	(38)	The smallest integer, x, such that $2x - 3 > 7$ is
(11)	64% = (common fraction).	(39)	The sum of the roots of $2x^2 + 5x - 6 = 0$ is
(12)	2½% = (common fraction).	*(40)	94 + 39 =
(13)	37½% of 144 =	(41)	The third term of $(x + y)^4$ is
(14)	54 = 37½% of	(42)	If $x^3 - y^3 = (x - y)(x^2 + xy + by^2)$ then $b = \dots$
(15)	54 ÷ 144 =%.		If $i^2 = -1$ and $1/i = ai$, then $a =$
(16)	7½ × 198 =		If $\log_3 x = 2$, then $x = \dots$
(17)	$2\frac{1}{2} + 3\frac{1}{3} - 2\frac{1}{3} =$	(45)	The sum of the first four terms of 1, 4, 16, 64, is
(18)	4½ × 6⅓ =	(46)	The area of a rhombus with diagonals of 8 in. and 10 in. is
(19)	2½ ÷ 1½ =	(40)	sq in.
*(20)	197 × 305 + 15 =	(47)	A secant from P to a circle intersects the circle at A and B so that
(21)	$6\frac{1}{2} \times 18 - 2\frac{1}{2} \times 18 = \dots$		$\overline{PA} = 2'$ and $\overline{PB} = 8'$. The length of the tangent from P is
(22)	The exponent on 6 for $(6^2)^3 \div 6^2$ is		ft.
(23)	The cube root of 729 is	(48)	The area of a right triangle with hypotenuse of 13 ft. and one leg of 5 ft. is
(24)	1728 ÷ 6 =	(40)	
(25)	150 less 25% of 150 =		Each interior angle of a regular hexagon contains
(26)	The largest prime less than 104/2 is	*(50)	·
(27)	How many positive integral divisors does 18 have?	(51)	The sum of the exterior angles of a nine sided polygon is
(28)	The sum of the positive integral divisors of 18 is		The volume of a square pyramid with 8 in. as a side of the base and
(29)	The remainder when 19267 is divided by 3 is	(04)	altitude of 9 in. is cu. in.

(53)	How many classes of regular polyhedrons are there, when classified as to number of faces?	(66)	If the period of the tangent function is pi times a, then a =
(54)	How many lines intersecting at point P does it take to determine a plane?	(67)	If sin A is negative and cos A is positive then A is in quadrant (number).
(55)	Triangle ABC has $\angle A = 23^{\circ}$, $\angle B = 91^{\circ}$, and $\angle C = 66^{\circ}$. How many degree are in the exterior angle at C?	(68)	
(56)	Assuming that all teams are equally good, and the impossibility of tie games, what is the probability that a particular team will win	*(70)	If $\sin A = \frac{1}{8}$, and $\cos A = \pm \sqrt{a}$, then $a = \frac{1}{2}$. 12960 \div 72 = $\frac{1}{2}$.
	exactly 8 of 9 games?	(71)	The slope of the line $2y + 3x = 5$ is
(57)	At .6 miles per kilometer, how many miles are in 150 kilometers?	(72)	The y-intercept of the $2x + 3y = 5$ is
(50)	mi.	(73)	The distance between (5.7) and (2,3) is
(58)	At 2.54 cm. per inch, 12 in. =	(74)	The slope of the line through (5,7) and (2,3) is
(59)	Assuming zero friction and that a two inch circular pipe can fill a container in 10 min., how long will it take a 3 inch circular pipe? min.	(75)	The x-value of the midpoint of the line through (5,7) and (2,3) is
* (60)	The largest integer less than the cube root of 513,112 is	(76)	The slope of the line perpendicular to the one through (5,7) and (2.3) is
(61)	If $\sin A = \frac{1}{2}$ and A is in the second quadrant, then A =	(55)	
(62)	If $\sin A = \frac{1}{2}$ and A is in the second quadrant, and $\cos A = a\sqrt{3}$, then $a = \frac{1}{2}$	(77)	The line L makes an angle A, measured in counter clockwise manner from the positive x-axis to L; and tan A = 1. The inclination of L is
		(78)	The radius of the circle $x^2 + y^2 = 25$ is
(63)	The maximal possible value of cos X is	(79)	The center of the circle $x^2 + y^2 = 25$ has an x value of $x =$
(64)	If $\sin A = a$, $\cos A = \frac{1}{2}$, $\sin B = \frac{1}{2}$, and $\cos B = b$ and $\sin (A + B) = ab + x$, then $x = \frac{1}{2}$.	•	,
(65)	The minimal possible absolute value of tan X is	*(80)	At $7\frac{1}{2}$ gal. per cu. ft. a rectangular box with interior dimensions of $18' \times 25' \times 8'$ has a capacity of

Number Sense Test, Series GG-2

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(1)	28 + 19 + 17 =	(28)	Each exterior angle of a regular ten sided polygon contains
(2)	12 × 19 =		•
(3)	329 ÷ 7 =	(29)	Each interior angle of a regular decagon contains
(4)	45% of 60 =	*(30)	76 + 51 =
(5)	7½ × 19 =	(31)	Find the smallest positive integer x such that $7x - 3$ is exactly divisible by 5. $x = $
(6)	35 × 35 =	(32)	The next term of 1/2, 1/3, 1/5, 1/7, 1/11, is
^{'7})	83 =	(33)	$\sqrt{30\frac{1}{4}} = \dots$
(8)	113 =	(34)	$\log_3 5 + \log_3 \frac{1}{2} + \log_3 2 = \dots$
(9)	42 × 42 =	(35)	If $x = 4$, then $x^4 - 2x^2 + 1 = \dots$
*(10)	285 × 285 + 75 =	(36)	If $4/6 = 6/x$, then $x =$
(11)	5/9 =%.	,	
(12)	12% =(common fraction).	(37)	Find x so that $2^x \cdot 7^2 = 196$. x =
(13)	3½ × 2½ =	(38)	How many rational roots does $x^3 + x^2 + x = 0$ have?
(14)	3½ ÷ 2⅓ =	(39)	The sum of the roots of $x^3 + x^2 + x = 0$ is
(15)	$2\% \times 16 + 3\% \times 16 = \dots$	*(40)	If $x = 12$, then $5x^3 + 2x^2 + x = \dots$
(16)	Write the greater of 19/27 and 58/81.	(41)	The product of the roots of $x^3 + x^2 + x$ is
(17)	The Arabic numeral for MCMXXIV is	(42)	How many subsets with 5 elements are in a set with 6 elements?
(18)	2½ + 3% =	(43)	How many subsets are in $\{2,3\} \times \{1,2,3\}$?
(19)	47 × 53 =	(44)	The largest prime less than 150 is
*(20)	197 × 223 + 69 =	(45)	The least common denominator for 1/50 and 1/20 is
(21)	If \$450 is the simple interest on \$18000 for one year, what is the rate?%.	(46)	Reduce 60/55.
(22)	The tax on 18960 gal. at 9¢ per gal. is \$	(47)	The sum of the positive integral divisors of 28 is
(23)	My house is valued at \$24000. If the tax is \$3.00 per 100, based on 34 of the value, my yearly tax is \$	(48)	The number of positive integral divisors of $2^2 \times 3^2 \times 4^2$ is
(24)	The area of a square with diagonal $\sqrt{32}$ ft. is	(49)	The positive square root of $20^2 + 21^2$ is
5)	$1 + 2 + 3 + \ldots + 24 = \ldots$	*(50)	23% of 270,000 is
(26)	Two circles are tangent externally. Their radii are 5" and 9". The length of the line of centers is	(51)	The sum in base 8 when 72 in base 8 is added to 26 in base 8 is
(27)	The area of a triangle with 9" base and 79" altitude issq. in.	(52)	The remainder when 36 is divided by 26 is

(53)	72 less 16%% of 72 less 16%% of 37½% of 72 is
(54)	If each linear dimension of a jug is multiplied by 2½, its capacity is multiplied by
(55)	$x^4y^4 + x^2y^2 + 1 - (x^2y^2 - xy + 1) (x^2y^2 + xy + 1) =$
(56)	If $ax^2 + ay^2 + x^2 + y^2 = 5(x^2 + y^2)$ then $a =$
(57)	Change 123, base 8, to base 10.
(58)	How many integers between 1 and 344 are positive integral powers of 7?
(59)	sin (90° + 60°) =
* (60)	17 mi. =ft.
(61)	cos 420° =
(62)	If $\cos 2x = a \cos^2 x - 1$, then $a = \dots$
(63)	If $\csc x = a \div \sin x$, then $a = \dots$
(64)	$\cos^2 x + \sin^2 x = \dots$
(65)	$tan^2 x - sec^2 x + 1 =$
(66)	If $\tan x = b \tan (-x)$ then $b =$

- (67) If angles A, B and C are opposite sides a, b, and c in trianger ABC, then a/sin A b/sin B =
- (68) In the triangle of problem 67, if $a^2 = b^2 + c^2 xbc \cos A$, th. $x = \dots$
- (69) If $\sin A = -\frac{1}{2}$ and $\cos A = -\frac{\sqrt{3}}{2}$ and $\cot A = a\sqrt{3}$, then $a = -\frac{1}{2}$
- *(70) cos 50° =
- (71) If $i^2 = -1$, and 2i + 1 = a(4i + 2) then a = ...
- (72) The slope of 5 = x y is
- (73) The inclination of 5 = x-y is
- (74) The y-intercept of 5 = x y is
- (75) The distance between (21,20) and (0,0) is
- (78) The slope of the line through (5,6) and (1,2) is
- (79) How many subsets of 4 elements are in a set of 6 elements?
- *(80) $53 + 2 + 2^2 \dots + 2^{10} = \dots$

Number Sense Test, Series GG-3

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(1)	879 + 628 =	(29)	The number of positive integral divisors of 35 is
(2)	332 — 267 =	*(30)	$18,296 + 17,352 + 16,001 + 28,351 = \dots$
(3)	½ × ¾ =	(31)	The sum of the positive integral divisors of 35 is
(4)	44 4/9% = (common fraction)	(32)	Which of 7/8, 22/25 is greater?
(5)	$6\frac{1}{2}\%$ = (common fraction).	(33)	Change 523 in base 8 to base 10.
(6)	37½% of 192 =	(34)	The remainder when 612 $ imes$ 314 is divided by 9 is
(7)	$2\frac{1}{2} + 3\frac{3}{3} = \dots$	(35)	The next prime after 47 is
(8)	3% × 160 + 2½ × 160 =	(36)	The power set for $\{a,b\} \times \{a,b,c\}$ containselements.
(9)	65 × 65 =	(37)	At 231 cu. in. per gal., how many gallons are in a rectangular box
*(10)	1325 × 1325 + 75 =		$7" \times 6" \times 11"?$ gal.
(11)	184 × 176 =	(38)	The smallest number greater than each of .112, .112112, .112112112, is
(12)	32 × 32 =	(39)	How many subsets of three elements are in a set with 5 elements.
(13)	12 × 96 =	(0))	Town many subjects of three elements are in a see with a cleanest.
(14)	2 ⁶ =	*(40)	$\sqrt{225^3} + 25 = \dots$
(15)	118 =	(41)	If $x^4 = 8x$ and $x > 0$, then $x = \dots$
(16)	5 % × 3½ ÷ 1¾ =	(42)	How many real roots does x ⁴ = 8x have?
(17)	24 is what percent of 64?%.	(43)	$\log_4 8/6 + \log_4 6 = \dots$
(18)	\$168 less 87½% of \$168 less 14 2/7% of 87½% of \$168 =	(44)	If $x = 140$ and $y = 120$, then $x^2 - y^2 =$
(19)	343 ÷ 49 =	(45)	If $x^2 - 2 > 6$, and $x > 0$, the smallest such integer x is
*(20)	$3 + 2 \times 3 + 3 \times 3 + 4 \times 3 + \ldots + 20 \times 3 = \ldots$	(46)	If $x^4 + x^2y^2 + y^4 = (x^2 + xy + y^2)(x^2 + bxy + y^2)$, then b
(21)	$3\frac{1}{2} \div 1\frac{3}{4} = \dots$		
(22)	The least common denominator for 1/30 and 1/35 is	(47)	The product of the roots of $2x^2 - 5x - 9 = 0$ is
(23)	The Arabic numeral for MCMVIII is	(48)	The sum of the roots of $2x^2 - 5x - 9 = 0$ is
(24)	57 × 63 =	(49)	The largest rational k such that $2x^2 - 3x + k = 0$ has a real roo is $k = $
(25)	16/300 =%	*(50)	$32^3 + 32 = \dots$
(26)	Reduce 185/210	(51)	If O does a job in two hours which requires three for B ,how long
(27)	$2^2 \times 3 \times 7^3 \div 2 \times 7 =$ (numeral).	,.,	at the same rate, will it take both?
(28)	The number of integers between 1 and 35 which are relatively prime to 35 is	(52)	If $x^5 - 1 = (x - 1)(x^4 - ax^3 + bx^2 + ex + d)$, then $a = 0$

(53)	If $i^2 = -1$, then $1 \div (1 + i)$ $(1 - i) = \dots$	(66)	The length of the tangent from (5,0) to the circle $x^2 + y^2 = 9$ is
(54)	The area of a rectangle with perimeter of 24 in. whose length is twice its width is	(67)	The x value of the midpoint of the line segment from (1,9) to
(55)	Neglecting friction, a pipe with rectangular cross section $2'' \times 3''$ carries how many times as much water per hour as one with triangular cross section with sides $3''$, $4''$, and $5''$?	(68)	(-6,7) is $x =$ If the line $ax + by = 5$ passes through (1,4) and (5,0), then $a =$
(56)	If the perimeter of a square decreases from 58 in. to 48 in., the area decreases by	(69)	The next term of 1, -1, -4, -8, -13, is
		*(70)	185% of 712% of 9600 is
(57)	Each interior angle of a regular nine sided polygon contains	(71)	If sec $A = 2$ and A is in the 4th quadrant, then $A = \frac{1}{2}$
(58)	What is the probability that, when four coins are tossed, each will come up "tails"?	(72)	If cos 2B = a cos ² B — 1, then a =
(59)	A secant from A intersects a circle so that the segments formed are 2" and 6". The length of the tangent isin.	(73)	If $\sin 60^{\circ} \cdot \cos 40^{\circ} = \frac{1}{2} (\sin 100^{\circ} + \sin 8^{\circ})$ then B =
(60)	$21 (22^3 + 22^2) - 12 = \dots$	(74)	If the area of a triangle with sides a and b and an angle of 30° between a and b is given by $abx \div 2$, then $x =$
(61)	If regular polyhedrons are classified by the number of faces, the number of classifications is	(75)	The minimal value of sin A for all A is
(62)	The closest the centers of two tangent circles of areas 121 pi sq. in.	(76)	sin 45° ÷ cos 45° =(numeral)
(,	and 196 pi sq. in. can be isin.	(77)	If $\sin A = a/c$ and $\cos A = -a/c$, then $\tan A =$
(63)	The slope of $y + x = 5$ is	(78)	If the law of cosines is $5^2 = 3^2 + 4^2 - 2x \cos y$, then $x =$
(64)	The inclination of $y + x = 5$ is		
(65)	The perpendicular to the line through (2,3) and (5,1) has a slope of		If $\tan B = a \tan -B$, then $a = \sqrt[8]{9261} - 1 = \dots$

Number Sense Test, Series GG-4

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	Control Cool

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		(20)	
(1)	1152 =	(28)	If 7623 is in base 8, find the remainder in base 10 when 7623 is divided by 7.
(2)	34 ² =	(29)	
(3)	44 =		and 31 is
(4)	43 × 37 =	*(30)	$\sqrt{36^5} + 24 = \dots$
(5)	12 × 121 =	(31)	The total number of subsets with 3 elements in {1,2,3,4,5,} is
(6)	186 + 27 - 19 =		
(7)	2 1/3 × 1 1/7 =	(32)	The number of positive integers between 1 and 21 which are relatively prime to 21 is
(8)	111%% =(common fraction)	(33)	
(9)	62½% of 196 =	(55)	tions does the five tooth one make when the other makes 9
*(10)	$5^6 + 75 =$		revolutions.
(11)	44 4/9% ÷ 66 2/3% =(common fraction)		If twice Toni's age + 9 years is 33 years, his age isyrs.
(12)	19 is what percent of 57?%.		If $x = 11$, $(x^4 - 1) \div (x^8 + x^2 + x + 1) = \dots$
(13)	$6\frac{1}{2} \times 19 + 2\frac{1}{2} \times 19 = \dots$	(36)	If $x = 9$, $(x^4 + x^2 + 1) \div (x^2 + x + 1) = \dots$
(14)	$17\frac{1}{2} \div 2\frac{1}{2} = \dots$	(37)	$\log_7 49/6 + \log_7 6 = \dots$
(15)	1/35 + 1/15 =	(38)	The sum of the roots of $2x^2 + 5x + 9 = 0$ is
		(39)	The product of the roots of $2x^2 + 5x + 9 = 0$ is
(16)	The next term of 9½, 8½, 6½, 3½, is	*(40)	If $x = 11$, then $(x - 1)(x + 1)(x^2 + 1) =$
(17)	The Arabic numeral for MCMXCVIII is	(41)	64 =
(18)	5/300 =%.	(42)	The number of real roots of $2x^2 + 5x + 9 = 0$ is
(19)	$30 \div (1\frac{1}{4} \times 3) = \dots$	(43)	The coefficient of the x^2y^2 term of the expansion of $(x + y)^4$ is
*(20)	$18^3 - 18^2 + 92 = \dots$	(40)	
(21)	The next prime after 90 is	(44)	If $x^4 = x^2$ and $x > 0$ then $x =$
(22)	The larger of 3/19 and 10/57 is	(45)	If the volume of a square pyramid of base B and altitude h is
(23)	Multiply and give answer in base 7: $8 \times 9 =$		Bh \div k, then k =
(24)	Reduce to lowest terms 69/92.	(46)	The sum of the exterior angles of a 20 sided polygon contains degrees.
(25)	If each of 15 and 21 is in base 9, their greatest common divisor in base 10 is	(47)	-
(26)	The sum of positive integral divisors of 21 is	(48)	
(27)	The number of positive integral divisors of 28 is	(30)	now many planes can be passed inrough two paratiel lines:

(49)	The most points of intersection possible for all the sets of two lines from a set of three lines is	(64)	
* (50)	The tax on 1240 gal. gasoline at 51/2¢ per gal. is \$	(65)	If the law of sines for a 30° - 60° right triangle is given by $1 \div \sin 30^{\circ} = k \div \sin 90^{\circ}$, then $k = \dots$
(51)	If the sides of triangle A are 5', 12', and 13' and a similar triangle has a hypotenuse of 26', the area of the larger triangle is	(66)	If the law of cosines for a triangle with sides of 5', 6', 7' is given by $5^2 = a^2 + 7^2 - 2 \cdot 6 \cdot 7 \cos C$, then $a^2 =$ sq. ft
(52)		(67)	If $0^{\circ} < A < 90^{\circ}$ and $tan A = 1$, and $sin A = 1/t$, then $t^2 =$
	•	(68)	If $\tan 2B = 2 \tan B \div 1 + k \tan^2 B$, then $k = \dots$
(53) (54)	The distance between the lines $y = 4$ and $y = -2$ is	(69)	If the area of a triangle with sides a, b, and c and γ opposite to c is A = kab sin γ , then k =
(55)	If (3,3) bisects the line from (5, -1) to (x,7) then $x =$	*(70)	tan 50° =
	•	(71)	1 cu. yd. =cu. ft
(56)	The slope of the line through (3,3) and (5,-1) is	(72)	If one mile = 1609 meters, 11,263 meters = mi
(57)	The radius of the circle $x^2 - 6x + y^2 + 8y = 0$ is	(73)	The greatest common divisor of 60 and 126 is
(58)	If the equation of the line with x-intercept 5 is $5x + 2y = k$, then $k =$	(74)	The least common multiple of 15 and 35 is
(59)	The length of the altitude on the hypotenuse of a right triangle	(75)	7½ × 15 =
(0)	with legs of 3' and 4' isft.	(76)	The product of the least common multiple and the greatest common divisor of 35 and 15 is
(60)	The number of seconds in 13 hr. and 20 min. issec.	(77)	$1+2+3+\ldots+24=$
(61)	The area of a triangle with sides 10", 10", and 16" is	(78)	The next prime after 90 is
(62)		(79)	If $5^{x7y} = 1225$ and x and y are positive integers, then x =
(63)	$\sin^2 A + \cos^2 A = \dots$	*(80)	85% of 1924 =

Number Sense Test, Series GG-5

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(1)	862 — 354 =	(29)	The number of positive integral divisors of 125 is
(2)	623 + 888 =	*(30)	12,936 + 872 + 13,145 + 47 =
, ,	$2/3 \times 5/6 - 2/9 =$		
(3)			The sum of the positive integral divisors of 125 is
(4)	18 2/11% = (common fraction).	(32)	Which of 50/51, 149/151 is the bigger?
(5)	31/3% = (common fraction).	(33)	Change 126, base 10, to base 8.
(6)	62½% of 144 =	(34)	The remainder when $8^3 \times 6^2$ is divided by 7 is
(7)	2% + 3% =	(35)	The next prime after 115 is
(8)	$5\frac{1}{2} \times 16 + 4\frac{1}{2} \times 16 = \dots$	(36)	The power set for $\{1,2\} \times \{1,2\}$ containselements.
(9)	75 × 75 =	(37)	At 231 cu. in. per gal. a 7" \times 3" \times 11" rectangular box contains
*(10)	$1215 \times 1325 + 25 =$	(20)	gal.
(11)	195 × 185 =	(38)	The smallest number greater than each of .314, .314314, .314314314, is
(12)	43 × 43 =	(39)	How many subsets of two elements are in a set with four elements?
(13)	12 × 88 =		
(14)	123 =	*(40)	$\sqrt{289^3} + 77 = \dots$
(15)	4* =	(41)	If $x^3 - 1 = 0$ and $x \neq 1$ and $i^2 = -1$ and $x = a + bi$, then $a =$
(16)	$5\% \times 1\% \div 3\% =$		
(17)	12 is what percent of 64?%.		How many real roots does x ⁴ = 1 have?
(18)	1728 less 12½% of 1728 less 50% of 25% of 1728 =	(43)	$\log_4 4^3 + \log_4 16 = \dots$
(19)	1331 ÷ 121 =	(44)	If $(2 + i) \times (1 + 2i) = a + bi$ with $i^2 = -1$, then $b = \dots$
*(20)	$4 + 2 \times 4 + 3 \times 4 + \ldots + 20 \times 4 = \dots$	(45)	The smallest integer x such that x is positive and $x^2 - 3 > 6$ is $x =$
(21)	$5\frac{1}{4} \div 1\frac{3}{4} = \dots$	(40)	The shidhest integer x such that x is positive and x = 0 / 0 is x =
(22)	The least common denominator for 1/28 and 1/49 is	(46)	If $x^3 + x^2 + x + 1 = (x^2 + 1) (x + a)$ then $a =$
(23)	The Arabic numeral for MDCXLIV is	(47)	The product of the roots of $x^3 + 2x^2 + x + 1 = 0$ is
, ,	27 × 33 =	(48)	The sum of the roots of $x^3 + 2x^2 + x + 1 = 0$ is
(24)		(49)	If $5x^2 + 10x + k = 0$ has equal roots, then $k = \dots$
(25)	8/300 =%.	*(50)	313 + 9 =
26)	Reduce 28/49	(51)	If pipe A can fill a tank in 7 hours which requires 10 hours for pipe
(27)	$(2^2 \times 3 \times 7)^2 \div 2^2 \times 7^2 = \dots (numeral).$,	B, how long will it take both pipes?hrs.
(28)	The number of integers between 1 and 25 which are relatively prime to 25 is	(52)	If $x^6 + y^6 = (x^2 + y^2) (x^4 - ax^2y^2 + y^4)$, then $a =$

(53)	If $i^2 = -1$, find i^4 ($i^2 - 1$)	(66)	The length of the tangent from a pt P to a circle of radius 4 is 3. The distance from P to the center is
(54)	The combined perimeters of two squares is 40 in. If they are placed so that the side of one is along a side of the other, and this common part is removed to form a single polygon, the perimeter	(67)	The x value of a point which is $\frac{1}{3}$ the distance from (1.3) (3,5) is $x = \frac{1}{3}$
(55)	is 32 in. What is the side of the smaller square?	(68)	If the equation of the line with x-intercept 2 and y-intercept 1 is $y = ax + 1$, then $a =$
(56)	If the diameter d of a circle is reduced by 2 in., the area is reduced	(69)	The numerical equivalent of $x = 1 + 1/2 + 1/4 + 1/8 + 1/16 +$ is $x =$
	by $\pi \left(\frac{d^2}{4} - a\right)$. Here $a =$	*(70)	31680 ÷ 176 =
(57)	Each exterior angle of a regular octagon contains	(71)	If sec $A = 2$ and A is in the first quadrant, then $A = \dots$.
(58)	The ratio of the number of subsets of two elements of a set of	(72)	If $\cos 2B = 2 \cos^2 B$ — a, then a =
	four elements, to the total number of subsets is	(73)	If $\cos 60^{\circ} \sin 40^{\circ} = (\sin 100^{\circ} - \sin B^{\circ}) \div 2$, then $b =$
(59)	If two cords of a circle intersect so that the segments of one are 2 and 6 and of the other are 4 and x, then x =	(74)	If the area of a triangle with sides of a and 2 and angle x between
*(60)	$21^2 (21^2 - 21) = \dots$		them is ½ab sin x, then b =
(61)	The number of plane faces of a cube is	(75)	The minimal value of cos x for all x is
(62)	The greatest possible distance between the centers of tangent	(76)	$(\tan^2 A + 1) \div \sec^2 A = \dots$
	circles of areas 121 pi sq. in. and 196 pi sq. in. isin.	(77)	If $\sin A = a/c$ and $\cos A = a/c$, then $\tan A =$
(63)	The slope of the line with y-intercept 1 and x-intercept -1 is	(78)	If for a given triangle, the law of cosines is given by $13^2 = 12^2 +$
(64)	The inclination of the line of problem 63 is	, , ,	$5^2 - 120 \cos \gamma$, then $\cos \gamma =$
(65)	The slope of the line perpendicular to the line $y = -x$ is	(79)	If tan B = a ÷ cot (-B), then a =
		*(80)	$\sqrt{33124} - 2 = \dots$

(66)	The length of the tangent from a pt P to a circle of radius 4 is 3. The distance from P to the center is
(67)	The x value of a point which is $\frac{1}{3}$ the distance from (1.3) (3.5) is $x = \frac{1}{3}$
(68)	If the equation of the line with x-intercept 2 and y-intercept 1 is $y = ax + 1$, then $a =$
(69)	The numerical equivalent of $x = 1 + 1/2 + 1/4 + 1/8 + 1/16 +$ is $x =$
*(70)	31680 ÷ 176 =
(71)	If sec $A = 2$ and A is in the first quadrant, then $A = \dots^{\circ}$.
(72)	If $\cos 2B = 2 \cos^2 B - a$, then $a =$
(73)	If cos 60° sin 40° = (sin 100° - sin B°) ÷ 2, then b =
(74)	If the area of a triangle with sides of a and 2 and angle x between them is $\frac{1}{2}$ ab sin x, then b =
(75)	The minimal value of cos x for all x is
(76)	$(\tan^2 A + 1) \div \sec^2 A = \dots$
(77)	If $\sin A = a/c$ and $\cos A = a/c$, then $\tan A =$ (numeral).
(78)	If for a given triangle, the law of cosines is given by $13^2 = 12^2 + 5^2 - 120 \cos \gamma$, then $\cos \gamma =$
(79)	If $\tan B = a \div \cot (-B)$, then $a =$

Number Sense Test, Series GG-6

Contestant's Number	Contestant's Sco

Read Directions Carefully Before Beginning Test

Do not Unfold This Sheet Until Told to Begin

Directions: Do not turn this page until person conducting this test gives the signal to begin. This is a ten-minute test. There are 80 problems. Solve accurately and quickly as many as you can in the order in which they appear. ALL PROBLEMS ARE TO BE SOLVED MENTALLY. Make no calculations with paper and pencil. Write only the answer in the space provided at the end of each problem. Problems marked with a star (*) require only approximate answers; any answers to a starred problem that is within five per cent of the exact answer will be scored correct; all other problems require exact answers

Person conducting contest should explain these directions carefully to the contestants.

			•
(1)	1623 + 1524 =	(27)	At 12.5 pesos to the dollar, 240 pesos =dollars.
(2)	327 — 422 =	(28)	At \$3.25 each, how many shirts will \$29.25 buy?
(3)	526 × 3 + 526 × 4 =	(29)	The largest prime less than 60 is
(4)	87½% of 152 =	*(30)	$1,826 + 32,812 + 59,612 + 9,950 = \dots$
(5)	84 =	(31)	The number of elements in $\{2, 3, 5, 6\} \times \{1, 2, 5\}$ is
(6)	352 =	(32)	Reduce to lowest terms: 120/72.
(7)	$41^2 - 39^2 = \dots$	(33)	How many positive integers divide 120?
(8)	$\sqrt[3]{343} =$	(34)	The sum of the positive integral divisors of 60 is
(9)	87½% ÷ 37½% = (common fraction)	(35)	The remainder when 97 + 156 is divided by 3 is
*(10)	115 + 9 =	(36)	Add 87 which is in base 9 to 63 which is in base 9 and give ar answer in base 9.
(11)	21/3 + 31/4 =	(37)	Change 3021 in base 4 to base 2.
(12) (13)	$7\frac{1}{2} \div 12\frac{1}{2} = $ (47 + 50 + 53) \div 3 =	(38)	The number of integers between 1 and 12 which are relativel prime to 12 is
(14)	20% of 90% =%.	(39)	The larger root of $x^2 - 12x + 35 = 0$ is
(15)	8.9 + .92 + 5. =	*(40)	If $x = 19$, then $x^3 + x^2 + 20 = \dots$
(16)	7½ ÷ 3½ =	(41)	If three times his age less 20 years is 160, his age isy
(17)	Reduce 38/57.	(42)	The sum of the roots of $2x^3 - 4x^2 + 5x = 20$ is
(18)	3%% = (common fraction).	(43)	The larger root of $x^2 - x - 6 = 0$ is
(19)	21 × 12 =	(44)	The cube of the root of $2x + 5 = 9$ is
* (20)	124 × 135 =	(45)	If $x^3 + x^2 + x + 1 = (x + 1)(x^n + 1)$, then $n = \dots$
(21)	If 3 men do a job in 17 days, how long, at the same rate, will it	(46)	The maximal number of roots of any cubic equation is
(22)	take 7 men? days.	(47)	The coefficient of a ² b ² in (2a — b) 4 is
(22)	Two of nine people are selected at random. What is the probability that a certain two of the nine are selected?	(48)	The largest integer x such that 2x — 7<3 is
(23)	The least common denominator for 1/95 and 1/38 is	(49)	How many real roots does $x^2 + x + 1 = 0$ have?
(24)	The greatest integer less than 5 $\sqrt{2}$ is	*(50)	
(25)	21 sq. yd. =sq. ft.	(51)	
(26)	Sets A ₅ , A ₇ , and A ₉ contain, respectively 5, 7, and 9 elements,	(52)	
	while $A_5 \cap A_7 \cap A_9$ contains 1 element, and each of $A_5 \cap A_7$, $A_5 \cap A_9$ and $A_7 \cap A_9$ contains two elements. Then $A_5 \cup A_7 \cup A_9$ contains elements.	(53)	The state of the s

(54)	The area of a rhombus with side of 1 ft. and an interior angle of 30° is	(66)	If a pyramid of base of area B and of altitude h has a volume of $Bh \div k$, then $k = \dots$
(55)	The sum of the interior angles of a pentagon is	(67)	If the diameter of a circle circumscribed about a square is $2\sqrt{2}$ in. the side of the square is in.
(56)	The slope of the line $2x + y = 9$ is	(68)	The interest on \$1620 for 270 days at 6% is \$
(57)	The perpendicular to the line through (3,1) and (2,3) has a slope of	(69)	If $81/x = x/9$ and $x < 0$, then $x =$
(58)	The x value of the midpoint of a line from (3,1) to (2,3) is x =		5 ⁶ + 75 =
(00)	The X value of the indepoint of a line from (6,1) to (2,6) is X	(71)	If $\sin^2 A + \cos^2 A = b$, then $b = \dots$
(59)	The y-intercept of $2x - y = 7$ is	(72)	Csc. 210° =
* (60)	The number of ½ inch cubes in a rectangular box 25 in. by 16 in.	(73)	If sec A = b (sec (-A)), then b =
	by 27 in, is at most	(74)	If $\cos (A + B) = \cos A \cos B + d \sin A \sin B$, then $d =$
(61)	If the distance between the centers of two tangent circles of radii 5 in. and 4 in. is not 9 in., then it is in.	(75)	In triangle ABC, sides a, 5, and c are respectively opposite angles A, B, and C. If $a \div \sin A = x \div \sin B$, then $x = \dots$
(62)	Two chords intersect in a circle so that the segments of one are 4 in. and 3 in. and one segment of the other is 2 in. The second	(76)	In this same triangle, if $\cos A = (25 + c^2 - a^2) \div 2xc$, then $x =$
(63)	segment of the other is	(77)	If the area of this same triangle is 5c sin A \div y, then y =
(00)	The years of the content of X (* 22 (*) -) = 0 is y =	(78)	5 miles =
(64)	The ratio of the area of the triangle with sides of 19", 20", 21" to that of sides 57", 60", 63" is	(79)	The fulcrum of a 20 ft. pole is 1 ft. from a rock of weight 1900 lb. How much weight must be put on the long end to lift the rock?
(65)	If the area of an equilateral triangle of side s is $s^2\sqrt{3} \div b$, then		lb
	b =	*(80)	$1820^2 - 1540^2 =$

NOTE: If error is found in this key, grading should be done by correct answer. The state office will appreciate a report of any error found.

	/8 or 7/8 or 8.5	10-18 12-18	or four		0.48 cm. 4/9 or 40/9 min.								4	186 112% or 225/2 or 112.5		17/2 or 18/4				
≅ ∓	77.F	70610875 7146		10. 16. 16. 16. 16. 16. 16. 16. 16. 16. 16	N. S of three	125/8 or 15%	19. 29 19. 29 50. 53995—65205 51. 120	6. 100 6. 12/11 or 1 1/11	11. 0 12. 6 or six	87. 2 88. 1 or one 89. —1	56. 9		87. 711/2 or 855% or 855.5 sq. in. 88. 86°	- 85 g	20. 41800 46200 21. 23,9% or 2.59% 22. 31766.40	17. 1924 18. 87/6 or 61/6	18. 49/6 or 81/6 14. 8/2 or 11/6 15. 98 2/3 or 296/8	9. 1764 10. 77235—85865 11. 55 5/9% 12. 8/25	6. 1225 6. 1225 7. 512 8. 1881	9. 428 9. 428 9. 47
#1	78. 20° 74. 3/4 or sin 80° 76. —1 76. 1 or tan 45°	69. —19 70. 130,128.64—132,773.76 71. 300°	65. 8/2 or 1½ or 1.5 66. 4 67. —2½ or —5/2 68. 1	60. 222,072-245,448 61. 5 or five 62. 8 in. 68. —1 64. 186°	57. 140° 58. 1/16 59. 4 in.	54. 82 aq. in. 55. 1 56. 265/4 or 661/4 or 86.25	50. \$1,40 \$4,40 51. 6/5 or 1 1/5 or 1.3 hr.	##	1883	88. 113/99 4 16. 3/20-4/278	3881 288	\$1. 48 \$1. 48 \$2. 22/25	,	24. 8591 25. 5 1/896 26. 87/42	20. 598.5-661.5 21. 2 22. 210	17. 87/4% or \$7.5%	16. 1881	9. 4225 10. 1.647,915-1.848,485 11. 32,384 12. 1034	6. 72 7. 6 1/6 or 87/6 8. 960	1. 1507 2. 65 3. 34
75.2	74. 108 75. 225/2 or 1121/2 or 112.5 76. 525 77. 890	70. 1.182-1.252 71. 27 on ft. 72. 7 mi.		8. 1 5 st. H. S.	58. 25 59. 12/6 or 2 2/5 or 2.4 ft. 60. 45,600-50,400 sec.	1.3	50 50 10 10 10 10 10 10 10 10 10 10 10 10 10		PPR			turi Terri Terri T								2. 1156 2. 1156 3. 256
78. O	776. 1 776. 1	79. 171-189 71. 60° 72. 1 78. 20°	2 1 57 2 2 57 3 5 5 5 5	- 45 - 25 of	58. % 59. 8 60. 175,959-194,481	56. 4 in. 55. 9/4 57. 45 in.	50. 28310-31290 51. 4 2/17 or 70/17 hr. 52. 1	46. 1 10 H	42. 22 or two	88. 814/999 89. 6 or six 40. 474/5-8289.5		\$1. 156 \$2. 149/151 \$2. 176	100 200 200 200 200 200 200 200 200 200	24. 891 26. 8/8% or 22/8% 26. 4/7	20, 798-882 21, 8 21, 8	8	16. 1056 16. 256 16. 27/8 or 25/6	9. 5825 10. 1,529,405-1,690,895 11. \$6,675 12. 1849	8. 160 6. 90 6. 90	1. 508 2. 1511 3. 1/8
78. 8800 yd.	135.23 - 5 - 1		65. 4 66. 8 67. 2 in. 68. \$72.90	60. 12,000—24,624 62. 6 H. 63. 14 64. 1/9	5/2 4	58. 6: 64. 36 or .5 sq. ft. 56. 540°	49. serio or 8 50. 1.786—1,974	45. 24 65. Libres or 8	41. 60 yr.	87. 11,001,001 88. 4 89. 7 40. 6.878—7.602	34. 35. 168	50. 98,990—109,410 51. 12 52. 5/8 or 1 2/8	27. 96/5 or 19 1/5 or 19.2 dollars 28. 9	~ <u>; ~</u> ;			14. 18% 15. 14.82	9. 7/8 or 21/8 10. 158,067—169,118 11. 57/12 or 67/12 12. 8/5 or .6	8. 7. 160 8. 7. 160	1 4 5 2 2 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1